ACMT 311

CHUKA



UNIVERSITY

# UNIVERSITY EXAMINATIONS

# EXAMINATION FOR THE AWARD OF DEGREE OF BACHELOR OF SCIENCE IN ACTUARIAL SCIENCE

## ACMT 311: COMPUTATIONAL METHODS AND DATA ANALYSIS

#### **STREAMS: BSC**

#### **TIME: 2 HOURS**

2.30 P.M. - 4.30 P.M

#### **DAY/DATE: TUESDAY 29/08/2023**

#### **QUESTION ONE**

a) Briefly give 3 applications/uses of Random Numbers. (3 marks)		
b) Differentiate between a variable and an identifier. (4 mark		
c) What functions do the following commands on R language perform.		
i)ls()	(2 marks)	
ii)getwd()	(2 marks)	
file.info("student")	(2marks)	
d) List 5 features of R. (5 marks)		

e) let m = 2, a = c = 3 and  $X_0 = 2$ . Use The linear congruential method to produces a sequence of the next 4 integers. show your workings. (6 marks)

f) The treasurer of SACHUS is carrying out an estimate of the expected funds in the club account in 3 years' time. She needs to know that the expected level is to be within Kshs 150,000 and she wants to be 95% confident of this. Preliminary projections based on 1000 simulations suggest that the standard deviation is 100,000. How many simulations does she need to run?(6 marks)

## **QUESTION TWO**

a) List any three randomizing devices that you can use to generate uniform random numbers.

(3 marks)

b)	Explain two	shortcomings	of the test for autocorrelation.	(4 marks)
	1	0		

#### ACMT 311

c) Discuss 3 Characteristics of a good Linear Congruent Generator.	(6 marks)
--	-----------

f)Using Lagrange's interpolation formula find y(10) from the following table. (7 marks)

X	5	6	9	11
Y	12	13	14	16

### **QUESTION THREE**

a) List six data structures in R.

b) Give the description of the below Operators in R

i) %%	(2 marks)
ii)	(2 marks)
iii) &&	(2 marks)

(6 marks)

c)Find x,  $x = F^{-1}(r)$  for generating random variates from a uniform distribution using the inverse transform method. (8 marks)

## **QUESTION FOUR**

a) List 5 relational operators in R providing their description.	(5 marks)
--	-----------

b) With the appropriate formulae explain the algorithm for generating Normal random variates using polar method. (7 marks)

b) Generate 4 random variates using the inverse transform method from an Exp(2) distribution, using the random numbers 20/22, 12/22, 09/22 and 16/22 (8 marks)

# **QUESTION FIVE**

a) Differentiate between Theoretical tests and Empirical tests. (4 marks)

**b)** Consider the two vectors below on R:

# > x <- c(TRUE,FALSE,0,6) > y <- c(FALSE,TRUE,FALSE,TRUE)</pre>

What output will be dispayed from the below operators

i)	$> !_X$	(2 marks)
ii)	>x&y	(2 marks)
iii)	$>_X _y$	(2 marks)

#### ACMT 311

c) Using the random numbers 0.802 and 0.450 from U(0,1), generate a pair of standard normal variates (a) using the Box-Muller algorithm (b) using the polar method. How would you use these methods to generate values from a N(3,8) distribution? (10 marks)